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CANONIC INFERENCE AND COMMUTATIVE ORTHOGONAL BLOCK STRUCTURE

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Abstract

It is shown how to define the canonic formulation for orthogonal models associated to commutative Jordan algebras. This canonic formulation is then used to carry out inference. The case of models with commutative orthogonal block structures is stressed out.

Keywords: COBS, canonical inference, commutative Jordan algebras.

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